# CONCEPT PAPER



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# Biophysical homoeostasis of leaf temperature: A neglected process for vegetation and land-surface modelling

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### Abstract

Aim: Leaf and air temperatures are seldom equal, but many vegetation models assume that they are. Land-surface models calculate canopy temperatures, but how well they do so is unknown. We encourage consideration of the leaf- and canopy-to-air temperature difference ( $\Delta T$ ) as a benchmark for land-surface modelling and an important feature of plant and ecosystem function.

Location: Tropical SW China.

Time period: 2013.

Major Taxa studies: Tropical trees.

**Methods:** We illustrate diurnal cycles of leaf- and canopy-to-air temperature difference ( $\Delta T$ ) with field measurements in a tropical dry woodland and with continuous monitoring data in a tropical seasonal forest. The Priestley–Taylor (PT) and Penman–Monteith (PM) approaches to evapotranspiration are used to provide insights into the interpretation and prediction of  $\Delta T$ . Field measurements are also compared with land-surface model results obtained with the Joint U.K. Land Environment Simulator (JULES) set up for the conditions of the site.

**Results:** The  $\Delta T$  followed a consistent diurnal cycle, with negative values at night (attributable to negative net radiation) becoming positive in the morning, reaching a plateau and becoming negative again when air temperature exceeded a 'crossover' in the 24–29 °C range. Daily time courses of  $\Delta T$  could be approximated by either the PT or the PM model, but JULES tended to underestimate the magnitude of negative  $\Delta T$ .

**Main conclusions:** Leaves with adequate water supply are partly buffered against air-temperature variations, through a passive biophysical mechanism. This is likely to be important for optimal leaf function, and land-surface and vegetation models should aim to reproduce it.

#### KEYWORDS

boundary-layer conductance, crossover temperature, energy balance, land-surface model, leaf temperature, stomatal conductance, transpiration

# **1** | INTRODUCTION

It has long been known that the temperature of leaves can differ by several degrees (Campbell & Norman, 1998), and sometimes even by > 10 °C (Gates, Hiesey, Milner, & Nobs, 1964; Lange, 1959), from that of the surrounding air. Net radiation at the leaf surface must be

balanced by the combined fluxes of sensible and latent heat. The former is proportional to the product of the leaf-to-air temperature difference ( $\Delta T$ ) and the leaf boundary-layer conductance to heat. The latter is proportional to transpiration, which in turn is proportional to the product of the leaf-to-air vapour pressure deficit (that is, the vapour pressure deficit evaluated at the temperature of the leaf) and the combined boundary-layer and stomatal conductances to water.  $\Delta T$  adjusts rapidly to maintain this balance.

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The influence of leaf size and morphology on the leaf energy balance (through their effects on boundary-layer conductance), and the implications of  $\Delta T$  for photosynthesis, transpiration and optimal leaf form, were active research topics in the 1960s and 1970s (Gates, 1968; Givnish & Vermeij, 1976; Linacre, 1964; Parkhurst & Loucks, 1972; Smith, 1978; Taylor, 1975; Upchurch & Mahan, 1988; Zangerl, 1978). But dynamic global vegetation models (DGVMs), first developed in the 1990s (reviewed by Prentice & Cowling, 2013), have generally disregarded the biophysical effects of leaf size and morphology and simply assumed that  $\Delta T = 0$ . Biophysical land-surface models (used in climate and Earth System models, and coupled to DGVMs in some cases) compute a surface energy balance and use the predicted canopy temperatures to drive leaf-level physiological processes. But, to our knowledge, there has been no attempt to evaluate these model predictions or to analyse the implications of the modelled leaf-to-air temperature differences for plant and ecosystem function.

As observed more than half a century ago by Gates et al. (1964) and Linacre (1964, 1967) and discussed in two recent articles (Michaletz et al., 2015, 2016), there is abundant empirical evidence that in well-watered conditions in the daytime leaves are generally warmer than air at low air temperatures but cooler than air at higher air temperatures, a phenomenon that has been called 'limited homoeothermy' (Mahan & Upchurch, 1988; Michaletz et al., 2015, 2016; Upchurch & Mahan, 1988). We prefer the term 'biophysical homoeostasis', which avoids any implied analogy with the metabolically active process of homoeothermy in animals. Leaves are generally cooler than air during the night and the periods immediately before sunset and immediately after sunrise, when net radiation is negative; in other words, there is net loss of energy from the land surface. In the daytime, leaf temperatures can be maintained within a narrower range than air temperatures, varying around a 'crossover' or 'equivalence' temperature (where  $\Delta T = 0$ ) that can vary according to environmental conditions, but which generally lies within the optimal range for photosynthesis (Michaletz et al., 2016). Oxygen isotope evidence suggests that the effective photosynthetic operating temperature in forest canopies varies surprisingly little from the boreal zone to the subtropics (Helliker & Richter, 2008) and is only a few degrees greater even in the tropics (Song, Barbour, Saurer, & Helliker, 2011), indicating that leaves are partly buffered against spatial and temporal variations in the temperature of the air.

This concept paper aims to increase awareness of the biophysical causes and ecological significance of leaf-temperature homoeostasis and to point out the potential use of canopy temperature as a benchmark for the evaluation and improvement of terrestrial ecosystem and landsurface models. We illustrate the temperature crossover phenomenon using (a) sequential field measurements on leaves of different species during two consecutive sampling days at a tropical dry woodland site, and (b) continuous monitoring of the upper canopy of an intact tropical seasonal forest. The Joint U.K. Land Environment Simulator (JULES), which provides the land-surface component of the U.K. Met Office Hadley Centre Earth System Model (Best et al., 2011), was set up for the specific environmental conditions and vegetation composition of the site, and the results were compared with our field measurements.

# 2 | THEORY

Variations in  $\Delta T$  (in kelvin) on a time scale of minutes or longer (Schymanski, Or, & Zwieniecki, 2013) are closely to the steady-state energy balance (see e.g., Jones, 2013, p. 225):

$$R_{\rm n} - c_{\rm p} g_{\rm b} \Delta T - \lambda E = 0 \tag{1}$$

where  $R_n$  is the net radiation at the leaf surface (in watts per square metre),  $c_p$  is the specific heat capacity of air at constant pressure (in joules per mole per kelvin),  $g_b$  is the leaf boundary-layer conductance to heat (in moles per square metre per second),  $\lambda$  is the latent heat of vaporization of water (in joules per mole) and *E* is the transpiration rate (in moles per square metre per second). This equation states that the leaf-level net radiation is balanced by the sum of the sensible and latent heat fluxes, with the sensible heat flux depending on  $\Delta T$  as well as on  $g_b$ , which is inversely related to the thickness of the leaf boundary layer. Larger leaves generally have lower  $g_b$ , as indicated by the empirical equation  $g_b = 0.135 \sqrt{(u/d)}$  mol m<sup>-2</sup> s<sup>-1</sup> (Campbell & Norman, 1998, p. 101) where *u* is the wind speed (in metres), *c*. 0.74 times the maximal width of the leaf (Taylor, 1975).

It follows by re-arrangement of Equation 1 that:

$$\Delta T = (R_{\rm n} - \lambda E) / (c_{\rm p} g_{\rm b})$$
<sup>(2)</sup>

Thus leaves are warmer than air if  $R_n > \lambda E$ , and more so for large leaves and at low wind speeds. This explains why leaves have to be small in order to avoid overheating when air temperatures are high and water is in short supply (Gates, 1968; Parkhurst & Loucks, 1972). However, in well-watered conditions, it is possible that  $R_n < \lambda E$  if the air temperature is high enough, resulting in leaves cooler than air. This cooling, relative to air temperature, is also stronger in large leaves and at low wind speeds.

One way to predict the sign and magnitude of  $\Delta T$  invokes the equation of Priestley & Taylor (1972) (henceforth PT), an approximate empirical formula for evapotranspiration, either from freely evaporating (wet) surfaces or from vegetation that is well supplied with soil moisture. The PT equation is based on the observation that the latent heat flux ( $\lambda E$ ) is strongly determined by the available energy supply ( $R_n$ ), as follows:

$$\lambda E = \alpha [s/(s+\gamma)] R_n \tag{3}$$

where *s* is the derivative of the Clausius–Clapyeron relationship between saturated vapour pressure and temperature (in pascals per kelvin), evaluated at the ambient air temperature;  $\gamma$  is the psychrometer constant (in pascals per kelvin), equal to  $Pc_p/\lambda$ , where *P* is atmospheric pressure (in pascals); and  $\alpha$  is a dimensionless parameter, found empirically to take values typically in the range 1.1–1.4 and with a canonical value of 1.26 (see e.g., Jones, 2013, p. 109; McAneney & Itier, 1996).

By combining Equations 2 and 3, we obtain:

$$\Delta T = R_{\rm n} \{1 - \alpha [s/(s+\gamma)]\} / (c_{\rm p}g_{\rm b}) \tag{4}$$

The ratio s/(s +  $\gamma$ ) is steeply dependent on air temperature, being 0.40 at 0 °C, 0.55 at 10 °C, 0.68 at 20 °C, 0.78 at 30 °C and 0.85 at 40 °C. Setting  $\alpha$  = 1.26, Equation 4 implies that there should be a

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crossover temperature (the value at which  $\Delta T = 0$ , implying  $\alpha = 1 + \gamma/s$ ) c. 31 °C (Li, Harrison, Bartlein, Izumi, & Prentice, 2013).

The predicted crossover temperature is sensitive to the value of  $\alpha$ , however, and this parameter varies with environmental conditions. A number of studies (see e.g., Idso, Reginato, Jackson, & Pinter, 1981; Michaletz et al., 2016) have indicated lower crossover temperatures, in the range 25–28 °C, consistent with somewhat larger values of  $\alpha$  than the canonical 1.26.

There is an extensive literature (e.g., De Bruin, 1983; Huntingford & Monteith, 1998; Lhomme, 1997; McNaughton & Spriggs, 1986; Raupach, 2000) devoted to explaining in terms of more fundamental physical processes why  $\alpha$  might be expected to be a relatively conservative quantity. The PT equation is an expression of the large-scale average evapotranspiration rate. It has also been applied successfully in the modelling of transpiration by leaf canopies (e.g., Agam et al., 2010). At the leaf scale, however, different plant species may have different traits influencing energy and water exchanges, including leaf orientations influencing  $R_n$  (Chow, 1994), and stomatal and boundary-layer conductances, so there is likely to be variation among leaves, both above and below the large-scale integrated rate.

A more detailed model for the leaf-level energy balance can be derived using the so-called Penman linearization, which also underpins the Penman–Monteith (henceforth PM) combination equation for transpiration (see e.g., Jones, 2013, pp. 104–105). The Penman linearization approximates the leaf-to-air vapour pressure deficit via the initial terms of a Taylor series, as follows:

$$D(T+\Delta T) \approx D(T) + s\Delta T$$
 (5)

where  $D(T) = e_s(T) - e_a$  [with  $e_s(T)$  the saturated water vapour pressure at air temperature *T* and  $e_a$  the actual water vapour pressure], and *D* (*T* +  $\Delta T$ ) is the same quantity evaluated at the leaf temperature. Equation 5 is a good approximation provided  $\Delta T \ll T$ . Equation 2 combined with Equation 5 leads to:

$$\Delta T = \left\lceil R_{\rm n} - \lambda g \bullet (D + s \Delta T) / P \right\rceil / (c_{\rm p} g_{\rm b}) \tag{6}$$

where  $g \bullet$  is the combined (in series) stomatal and boundary-layer conductance to water,  $g \bullet = g_s g_b / (g_s + g_b)$  (the small difference between the boundary-layer conductances to water and heat is neglected here). Division by *P* is required for consistency with the molar units used for  $\lambda$ ,  $g_s$  and  $g_b$ . As  $\Delta T$  appears on both sides of Equation 6, it is necessary to re-arrange it in order to solve for  $\Delta T$ :

$$\Delta T = \left( R_{\rm n} - \lambda g \bullet D / P \right) / \left[ c_{\rm p} (g_{\rm b} + \varepsilon g \bullet) \right]$$
(7)

with  $\varepsilon = s/\gamma$ . Equation 7 is equivalent to formulae given by Monteith & Szeicz (1962), Linacre (1972), Paw U (1984) and others. Campbell and Norman (1998, pp. 224–229) used this formulation to show how various plausible combinations of air temperature and vapour pressure deficit can lead to negative daytime values of  $\Delta T$ .

Additional insight can be obtained by further manipulation of Equation 7. A crossover temperature  $T_x$  can be inferred from Equation 7 as the air temperature for which  $\Delta T = 0$ , implying that  $D(T_x)/P = R_n/\lambda g \bullet$  or, equivalently,  $e_s(T_x)/P = R_n/\lambda g \bullet + e_a/P$ . It is plausible that the ratio of  $R_n$  to  $g \bullet$  might be relatively conservative during the daytime

owing to the covariation of both  $R_n$  and  $g_s$  with irradiance, leading to a relatively conservative value of  $T_x$ . (This covariance must break down at night however, or near to dawn and dusk, as  $R_n$  is then dominated by the long-wave component.) The definition  $\gamma = Pc_p/\lambda$  allows Equation 7 to be rewritten in a compact form, as follows:

$$\Delta T = -[e_{\rm s}(T) - e_{\rm s}(T_{\rm x})] / [\gamma(1 + \varepsilon + g_{\rm b}/g_{\rm s})] \tag{8}$$

if a value  $T_x$  is assumed to exist and  $e_a$  is assumed constant. Constancy of  $e_a$  is a reasonable assumption for variations in *D* that may be expected as a result of rapid air temperature changes during a day, when  $e_a$  normally varies much less than  $e_s$ . Given that  $e_s(T)$  increases steeply with *T*, Equation 8 indicates that  $\Delta T$  will be negative for all values of  $T > T_x$ . The rate of change of  $\Delta T$  with *T*, evaluated at the crossover temperature  $T_x$ , is as follows:

$$\partial(\Delta T)/\partial T = -\varepsilon/(1+\varepsilon+g_b/g_s)$$
 (9)

where  $\varepsilon$  is evaluated at  $T_x$ . Note that the rate of decrease in  $\Delta T$  following Equation 9 depends only on  $T_x$  and the ratio of  $g_b$  to  $g_s$ . The variation of leaf temperature with respect to air temperature (evaluated around  $T = T_x$ ) has a slope that is less than unity by the amount given in Equation 9.

A number of simplifications have been made in the treatment above. Michaletz et al. (2016) noted that (a)  $R_n$  is not independent of  $\Delta T$ , as we have implicitly assumed so far, because the long-wave radiation emitted by the leaf increases with the fourth power of the leaf temperature following the Stefan-Boltzmann law; and (b) the Penman linearization, appropriate for small  $\Delta T$ , becomes less accurate the further the leaf temperature departs from the air temperature. Point (a) is described in textbooks, and a standard approximation exists to correct for it (see e.g., Jones, 2013, p. 225), allowing the isothermal net radiation (the value of  $R_n$  when  $\Delta T = 0$ ) to be used in place of the true  $R_n$  in a more precise formula that accounts for the first-order effect of  $\Delta T$  on  $R_{\rm n}$ . Point (b) is dealt with by Michaletz et al. (2016) by representing  $e_{\rm s}(T)$  as a nearly exact fourth-degree polynomial in T, which can be combined with the known temperature dependence of  $R_n$ , leading to a quartic equation in T, which can be solved analytically. The reader is referred to Michaletz et al. (2016) for details.

#### 3 | METHODS AND RESULTS

#### 3.1 | Field measurements

The selected field site was in a tropical dry woodland, Mandan, Yunnan province, SW China (23.69° N, 101.85° E, 758 m a.s.l.), with mean annual temperature 21.8 °C and mean annual precipitation 981 mm. Solar noon occurs at 13:00 hr local time. Measurements were made at two topographical locations within the site, on two consecutive sunny days during the dry season (October 2013). The location measured on the second day had slightly denser vegetation, apparently attributable to run-on from surrounding slopes. However, similar results were obtained for both days and locations. The canopy at both locations is sparse, so most leaves receive high illumination and fully sunlit leaves were readily accessible for measurement. Three species were selected.



**FIGURE 1** Diurnal time courses of the leaf-to-air temperature difference ( $\Delta T$ , in kelvin) during the dry season (October 2013) for three species, measured on consecutive days at two topographical locations in a tropical dry woodland site (Mandan, Yunnan province, China). The top panel displays measurements from the first day and the bottom panel from the second day. Species: *Terminthia paniculata, Pistacia weinmannifolia* and *Osteomeles schwerinae*. Vertical bars are the *SE* of three replicates. Fitted smooth curves are quadratic regressions against time (continuous lines) with 95% confidence intervals (dashed lines). The left-hand panels show measured half-hourly net radiation ( $R_n$ , in watts per square metre) from the nearest meteorological station (Yuanjiang) during sampling, and the other panels show field-measured ambient temperatures ( $T_{air}$ , in degrees Celsius). Vertical dashed lines mark solar noon. Horizontal dashed lines mark  $\Delta T = 0$ 

All were canopy-dominant small trees or tall shrubs, having sclerophyllous, hypostomatous leaves, with typical areas of 25 cm<sup>2</sup> (*Terminthia paniculata*), 1 cm<sup>2</sup> (*Pistacia weinmannifolia*) and 0.9 cm<sup>2</sup> (*Osteomeles schwerinae*). The smaller leaves of the last two species were closely packed along the branches, suggesting that their smaller size might not be biophysically significant. Each day, the temperatures of three replicate top-canopy sunlit leaves of each species were measured at halfhourly intervals using a hand-held infrared thermometer (The Fluke 574; Fluke, Everett, WA), pre-calibrated by the manufacturer, with emissivity set to 0.98. Air temperature was recorded with a mercury thermometer. The stated measurement uncertainty of the infrared thermometer is  $\pm$  0.75 K and that of the mercury thermometer is  $\pm$ 0.1 K. The uncertainty of our estimates of  $\Delta T$  is therefore small compared with the range of observed  $\Delta T$  (-6.2 to +7.5 K).

A consistent diurnal time course was observed across the different species and sampling days and locations (Figure 1, Appendix S1). The data points in Figure 1 have been smoothed using a quadratic curve to highlight the characteristic diurnal pattern.  $\Delta T$  was negative (reflecting negative  $R_n$ ) in the early morning, became positive during the morning, then peaked and began to decline before solar noon (while  $R_n$  continued to increase).  $\Delta T$  became negative again when the air temperature

exceeded a crossover value in the range 26–28 °C. There were no significant differences in observed crossover temperatures, either among species or between days and locations. The observed values suggest  $\alpha$ somewhat larger than 1.26, but well within the theoretically predicted range (up to 1.391 according to Huntingford & Monteith, 1998). A similar diurnal time course of  $\Delta T$  has been observed in other studies and environments, for example by Yu et al. (2015) in a desert.

## 3.2 Monitoring

Canopy temperature is continuously monitored at the flux tower site located in an intact tropical seasonal forest at Xishuangbanna Tropical Botanical Garden (XTBG; 21.93° N, 101.27° E, 570 m a.s.l.), Yunnan province, China, with mean annual temperature 21.7 °C and mean annual precipitation 1492 mm. Solar noon occurs at 13:15 hr. An infrared temperature sensor (Apogee Instruments Inc., Logan, UT) has been installed 3 m above the canopy. Air temperature is monitored using the HMP45C instrument (Vaisala, Helsinki, Finland). Data are logged half-hourly.

We show the data from the dry season (January) of 2013 (Figure 2). The same general diurnal time course is seen at canopy



**FIGURE 2** Diurnal time courses of the canopy-to-air temperature difference ( $\Delta T$ , in kelvin) and canopy temperature during the dry season (January 2013) in a continuous tropical seasonal forest (Xishuangbanna Tropical Botanical Garden, Yunnan province, China). Vertical bars are the *SE* across the 31 days. Vertical dashed lines mark solar noon. Shaded areas represent the daylight period

level in the seasonal forest (Figure 2) as we observed at leaf level in the dry forest (Figure 1). The observed crossover temperature was near 24 °C.

### 3.3 A test of JULES with field measurements

We ran JULES in a standard configuration for stand-alone operation (i.e. not coupled to a climate model), with non-limiting soil moisture prescribed in all soil layers. Driving data on wind speed, relative humidity and long- and short-wave radiation components through the days of measurement were obtained from the flux tower at Yuanjiang, 2 km from the field site. Appropriate values were prescribed in JULES for vegetation cover broken down by plant functional types (47% broadleaf evergreen trees, 3% C<sub>3</sub> grasses, 25% C<sub>4</sub> grasses, 12.5% shrubs and 12.5% bare ground) and soil properties (15% sand, 50% silt and 35% clay) based on a field assessment.

Figure 3 compares the JULES results with our field measurements. The model simulates negative  $\Delta T$  after *c*. 14:00 hr local time, but the measurements show an earlier onset of negative values. Measured  $\Delta T$  approached -6 K for each day and location and all species (Figures 1 & 3), but JULES-simulated  $\Delta T$  never fell below -2 K during the daytime.

Establishing the precise reasons for this discrepancy would require a series of sensitivity experiments to be carried out. However, we note that JULES simulates a precipitous decline in stomatal conductance from about 10:00 hr local time (Figure 3), which would restrict transpiration rates.

#### 3.4 Comparisons using simple analytical models

We attempted to fit our field-observed leaf-to-air temperature differences using both the PT and the PM approaches (Figure 4) by non-linear regression using the '*nls*' function in R. We treated  $\alpha$ and  $g_b$  as the parameters to be estimated in Equation 4 (PT), and  $g_b$  and  $g \bullet$  as the parameters to be estimated in Equation 7 (PM). Note that these model fits are approximate. A full implementation of the PM approach would require time-varying  $g_s$ , which was not measured. The assumption of constant  $g_b$  in both PT and PM models is also a simplification, as wind speed variations are expected to influence  $g_b$ . The fitted parameter values are given in Table 1. Negative  $\Delta T$  was correctly simulated by both approaches (Figure 4), with approximately the right timing and magnitude. Figure 4 also shows JULES results for comparison and highlights the tendency of JULES to underestimate negative  $\Delta T$  during the hottest part of the day.

We fitted Equations 4 and 7 in the same way to the canopy monitoring data, including half-hourly measurements for each day during January 2013. For the PT model, the estimated  $\alpha$  was  $1.32 \pm 0.005$  (p < .001), corresponding to a crossover temperature of 26.8 °C. The fitted value for  $g_b$  in Equation 4 was  $0.68 \pm 0.03$  mol m<sup>-2</sup> s<sup>-1</sup> (p < .001). In comparison to monitored canopy temperature, the PT model yielded a highly significant slope of 0.67, with  $R^2 = 79\%$  (Figure 5). For the PM model, we estimated a somewhat larger value of  $g_b$  (1.45 ± 0.02 mol m<sup>-2</sup> s<sup>-1</sup>, p < .001), and  $g \bullet = 0.51 \pm 0.007$  mol m<sup>-2</sup> s<sup>-1</sup>. The regression between model predictions and the canopy monitoring data was again highly significant, with slope 0.94 and  $R^2 = 85\%$  (Figure 5).

We also fitted both models to the monitoring data for each day separately (Supporting Information Appendix S2). This yielded for the PT model a median  $\alpha$  of 1.34 (lower and upper quartiles: 1.32, 1.36), corresponding to a median crossover temperature of 26.0 (24.9, 27.3) °C, and fitted values for  $g_b$  in Equation 4 of 0.61 (0.48, 0.68) mol m<sup>-2</sup> s<sup>-1</sup>. For the PM model, we again estimated values of  $g_b$  larger than for the PT model: 1.45 (1.26, 1.66) mol m<sup>-2</sup> s<sup>-1</sup>, and values of  $g_{\bullet}$ 



**FIGURE 3** (a) Diurnal time courses of Joint U.K. Land Environment Simulator (JULES)-simulated canopy temperature and observed leaf temperatures during the sampling days shown in Figure 1. Different coloured symbols represent observed leaf temperatures of the three species. Air temperatures and simulated soil temperatures are also shown. (b) Diurnal time courses of stomatal conductance from JULES. Shaded areas represent the sampling period. Vertical dashed lines mark solar noon



**FIGURE 4** Diurnal time courses of (a) net radiation ( $R_n$ , in watts per square metre) and ambient temperature ( $T_{air}$ , in degrees Celsius), (b) vapour pressure deficit (D, in kilopascals) and (c) actual vapour pressure ( $e_a$ , in kilopascals) at Yuanjiang meteorological station during the sampling days shown in Figure 1. (d-f) Diurnal time courses of observed leaf-to-air temperature differences ( $\Delta T$ , in kelvin) for the three species, compared with modelled values obtained with the Priestley–Taylor and Penman–Monteith approaches and with the Joint U.K. Land Environment Simulator (JULES) land-surface model. Green circles are observed leaf temperatures of the three species

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**TABLE 1** Parameter values (with SEs) and goodness-of-fit statistics in the Priestley–Taylor and Penman–Monteith models for leaf-to-air temperature difference ( $\Delta T$ , in kelvin) as given in Figure 4, estimated from field measurements during the second day in a tropical dry woodland site (Mandan, Yunnan province, China)

Priestley-Taylor model			
	Terminthia paniculata	Pistacia weinmannifolia	Osteomeles schwerinae
α (-)	$1.27\pm0.03$	1.31± 0.01	$1.32\pm0.01$
$g_{\rm b} \ ({\rm mol} \ {\rm m}^{-2} \ {\rm s}^{-1})$	$0.52\pm0.25$	$0.20\pm0.03$	$0.24\pm0.04$
RMSE (K)	1.97	1.63	1.31
Penman-Monteith model			
	Terminthia paniculata	Pistacia weinmannifolia	Osteomeles schwerinae
$g_{\rm b} \ ({\rm mol} \ {\rm m}^{-2} \ {\rm s}^{-1})$	$1.07\pm0.35$	$0.86\pm0.38$	$1.17\pm0.55$
$g \bullet \pmod{m^{-2} s^{-1}}$	$0.53\pm0.07$	$0.67\pm0.1$	$\textbf{0.73}\pm\textbf{0.12}$
RMSE (K)	1.97	1.63	1.31

of 0.57 (0.50, 0.64) mol m<sup>-2</sup> s<sup>-1</sup> (Supporting information Appendix S3). Both models fitted the monitoring canopy temperature well on visual comparison (Figure 5 and Supporting Information Appendix S2). A general underestimation of the magnitude of  $\Delta T$  during the night (Supporting Information Appendix S2) probably relates to our simplifying assumption of constant  $g_{b}$ , neglecting the fact that wind speeds are generally lower at night than during the day. Low wind speeds would lead to smaller  $g_{b}$  and, accordingly, larger differences between canopy and air temperatures.

## 4 DISCUSSION

The thermal homoeostasis of sunlit leaves is a passive mechanism, dependent on ample water supply for transpiration, which has the effect of keeping leaf temperatures in a more limited range than air temperatures. We observed leaves to be cooler than air during the midday period, even during the dry season in a tropical dry woodland (Figure 1), presumably thanks to deep roots allowing water to continue to be transpired at a sufficiently high rate. However, along a gradient



**FIGURE 5** The Priestley–Taylor and Penman–Monteith simulations for  $\Delta T$  fitted to half-hourly canopy-to-air temperature differences obtained from continuous monitoring in a tropical seasonal forest (Xishuangbanna Tropical Botanical Garden, Yunnan province, China) during the dry season (January 2013)

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of declining rainfall, transpirational cooling must become ineffective at some point, so that the leaves will again be warmer than the air during the hottest time of day. Where this point occurs along rainfall gradients remains to be determined.

Leaf-temperature homoeostasis has important practical implications under climate warming scenarios. For example, the study of urban street trees by Leuzinger, Vogt, and Körner (2010) projected extremely high future leaf temperatures, in scenarios where D was held constant. However, D is the proximal driver of transpiration rate, and it is expected to increase nearly everywhere (see e.g., Sherwood & Fu, 2014), leading to reduced, and ultimately negative,  $\Delta T$ . As air temperatures rise, even in temperate regions, the transpirational cooling effect of green infrastructure may become increasingly important for the environment of cities. Increased transpiration rates owing to high D should also help to protect natural ecosystems and crops, to some extent, against potential adverse effects of high temperature. In this perspective, high D is not necessarily a stress on plants. Provided sufficient water is available for transpiration, high evaporative demand provides a degree of leaf-temperature buffering against high air temperatures.

DGVMs could be modified to include leaf-to-air temperature differences with the help of the theory discussed above. One key phenomenon that they currently do not capture is the negative feedback (via transpiration) in well-watered conditions, which maintains leaf temperatures within a more restricted range than air temperatures. DGVMs lacking this feedback are likely to overestimate the direct impacts of warming on the gas exchange of leaves in well-watered vegetation, including irrigated crops (Siebert, Webber, Zhao, & Ewert, 2017) and deeply rooted plants even in relatively dry environments, as well as in moist forests. On the contrary, drought (in the sense of insufficient precipitation to support moist soils) is a potential double menace to tropical moist forests (Schymanski et al., 2013) as stomatal closure under water limitation is expected to reduce transpiration, eventually to the point where negative  $\Delta T$  is no longer possible, potentially compounding the effects of hydraulic failure (Rowland et al., 2015) with photosynthetic inhibition and even overheating damage. Deleterious effects of high leaf temperature would be felt soonest by large leaves, because of their low boundary-layer conductance. How the effective boundary-layer conductance varies in field conditions as a function of leaf morphology and canopy architecture remains a topic for investigation, potentially opening a route to the incorporation of more realistic plant functional diversity in DGVMs.

Land-surface models, such as JULES, designed for climate-model coupling, already contain the necessary equations (including explicit simulation of convective boundary-layer dynamics and thermodynamics) to simulate canopy temperature from physical principles. However, to do so reliably, such models require good representations of leaf boundary-layer and stomatal conductances. In JULES, the irradiance absorbed by the canopy follows Beer's law, with a fixed light extinction coefficient based on the 'big leaf' approach (Clark et al., 2011), thus not allowing for possible variation in leaf-angle distributions. Stomatal conductance is treated as a decreasing function of vapour pressure deficit,

following the Jacobs (1994) equation (Cox, Huntingford, & Harding, 1998). Boundary-layer conductance is implicit, and cannot be altered in the current configuration of JULES. Our example indicates that the simulation of leaf energy balance with JULES might be inaccurate. In particular, the modelled cooling of leaves at high air temperatures was weaker than observed. Figure 3 also indicates that stomatal closure was predicted to occur early in the day, restricting transpiration to a perhaps unrealistic extent. The 'optimal stomatal conductance' equation, independently derived (from different assumptions) by Medlyn et al. (2011) and Prentice, Dong, Gleason, Maire, and Wright (2014), implies that transpiration continuously increases with vapour pressure deficit despite partial stomatal closure, whereas the Jacobs equation used in JULES reduces  $g_s$  to a minimal value at a fixed maximal vapour pressure deficit. This difference might be important. Alternatively, or additionally, reductions of transpiration at high temperatures, in the field (Duursma et al., 2008; Medlyn et al., 2001) and in models such as JULES that explicitly couple photosynthesis and stomatal behaviour, may be caused by the exceedance of photosynthetic temperature optima, prompting examination of whether the locations of these optima in current models (especially for tropical plant types) are realistic.

Leaf and canopy temperatures are measurable at spatial scales from field measurements on single leaves, through monitoring of vegetation canopies, to remotely sensed data at a global scale (Li et al., 2015). As a sensitive indicator of the effectiveness of transpirational cooling, observations of  $\Delta T$  would repay more extensive application to evaluate and improve the representation of vegetation-atmosphere energy and water exchanges in land-surface models, and plant functional diversity and climate-change impacts in DGVMs.

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## DATA ACCESSIBILITY

Field data used in this study can be found in Supporting Information Appendix S1.

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#### BIOSKETCHES

**N.** DONG'S research aims for a better understanding of temperature effects on biological processes, and its application to large-scale vegetation models through a new approach that emphasizes simple,

theoretical models to interpret observations on the interaction of traits and environment.

**I. C. PRENTICE** is a long-time pioneer of global vegetation modelling and is currently leading the development of a next-generation trait-based model for improved analysis of the coupling between biogeochemical and hydrological cycles, climate impacts and climate-vegetation feedbacks.

**S. P. HARRISON** works on multiple aspects of global environmental and ecological data and their application to the modelling and reconstruction of past environments.

**Q. H. Song** works on ecosystem monitoring and analysis of forest canopy processes.

Y. P. ZHANG leads research on global change and ecosystems at Xishuangbanna Tropical Botanical Garden.

#### SUPPORTING INFORMATION

Additional Supporting Information may be found online in the supporting information tab for this article.

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